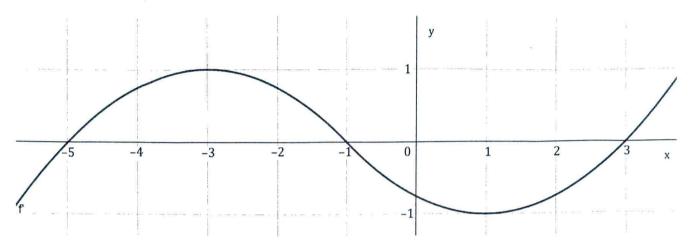
MA 16010 Quiz 9 (Lessons 21, 22)

Write your name, section number (399 for 8:30, 418 for 9:30), and quiz number on the top of your quiz, front and back. You may use a one-line calculator.

1. Below is the graph of f'(x), the **derivative** of a function f(x).



Determine at which x the function f(x) has relative maximum and at which x it has relative minimum. Find the x-coordinates of all inflection points of f(x).

2. Compute

$$\lim_{x \to \infty} \frac{x^2 + 4x^3 + 3x^4 - 2}{5x^3 - 7x^4 + x}$$

Crit. points = where f(x):0: x=-5, x=-1, x=3

Kel. ner/mun at x=-1 (f'clarges from >0 to 20)

rel. minimum at x=-8, x=3 (f'changes from <0 to >0)

inflection points of points of points of extrema of f'(x): x=-3, x=1

 $\frac{2!}{\lim_{x\to\infty}\frac{x^2+4x^3+3x^9-2}{5x^3-7x^9+1}} = \lim_{x\to\infty}\frac{3x^9}{-7x^9} = \lim_{x\to\infty}\frac{3}{7} = -\frac{3}{7}$ $\lim_{x\to\infty}\frac{3x^9-2}{5x^3-7x^9+1} = \lim_{x\to\infty}\frac{3x^9}{-7x^9} = \lim_{x\to\infty}\frac{3}{7} = -\frac{3}{7}$ $\lim_{x\to\infty}\frac{3x^9-2}{5x^3-7x^9+1} = \lim_{x\to\infty}\frac{3x^9}{-7x^9} = \lim_{x\to\infty}\frac{3}{7} = -\frac{3}{7}$